

# Formation of Surface Defects Dominates Ion Migration in Lead-Halide Perovskites

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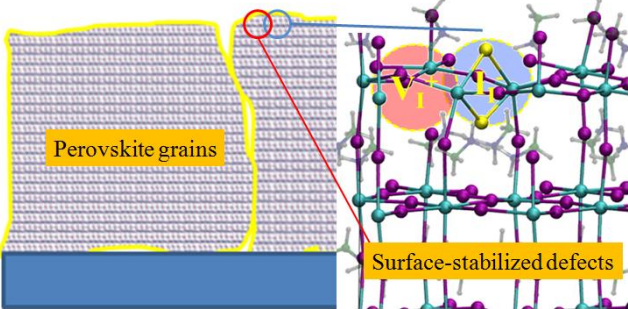
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## **Abstract**

We propose a new model of defect formation and ion migration at the surfaces / grain boundaries of lead-halide perovskites, based on *ab initio* calculations. Inspired by the spread of experimentally measured activation energies for ion migration in similar lead-iodide perovskites, we define an effective defect formation energy weighed upon surface and bulk contributions. We thus link the large variation in measured activation energies for ion migration to the different defect formation energy of polycrystalline thin films with different grains size. Defect formation is facilitated at surfaces, thus smaller grains exhibit an averagely lower activation energy to ion migration than larger grains. We also account for the increased ion migration observed under light. On overall, our findings point at surface passivation as a major issue to stabilize lead-halide perovskites against formation of defects, limiting in turn the decomposition reactions associated to defect photochemistry.

**TOC Graphics**



The success of metal-halide perovskites (MHPs) in optoelectronic devices has revolutionized the landscape of applications dominated by traditional semiconductors. The outstanding absorption, charge generation and transport properties of MHPs<sup>1, 2</sup> apparently contrasts with the paradigm of high-purity/high quality semiconductors made under controlled conditions. MHPs achieve similar performance in devices than the former but, by contrast, are fabricated by solution-processing techniques at low temperature from medium-purity precursor compounds.

The relatively weak metal-halide bond of MHPs (formation enthalpies  $<0.2$  eV per formula unit)<sup>3</sup> gives rise to an inherently soft crystal lattice which is prone to dynamical and structural disorder, associated to formation of defects.<sup>4</sup> Defects introducing levels in the material's band-gap may act as traps and recombination centers for photogenerated charge carriers, limiting the device performance and impacting the device temporal stability. The moderately high trap density typical of solution-made polycrystalline thin films used in solar cells ( $10^{15}$ - $10^{16}$  defects per  $\text{cm}^3$ ) was found to marginally affect the efficiency of the ensuing devices.<sup>5</sup> The reasons lying behind defect tolerance in MHPs are still actively researched<sup>6,7</sup> to possibly export the same tolerance in a diverse set of semiconductors.<sup>8</sup> Among native point defects those related to excess halides (*i.e.* interstitial iodine) or analogously undercoordinated halides - *e.g.* metal vacancies - can represent a significant trap source in lead-halide perovskites.<sup>6,9</sup> Halide vacancies act as shallow traps but they may play a major role in affecting the material stability.<sup>10</sup> In the prototypical  $\text{MAPbI}_3$  perovskite (MA=methylammonium) MA interstitials are also fairly abundant at the native (close to intrinsic) Fermi level but such defects do not introduce electronic states in the gap.<sup>11</sup> Defect complexes, such as Schottky or Frenkel defects, may alter the defect density predicted for point defects by introducing compensating equilibria among different vacancies or among vacancies and interstitials,<sup>14,31</sup> respectively.

Defects may also introduce ionic mobility channels in MHPs.<sup>12</sup> The migration of halides is boosted by the presence of vacancy and interstitial defects, acting as shuttles for halide hopping.<sup>13,14</sup>

There clearly exists a strict connection between the energetics of defect formation and the entity of ion migration. If the migrating defects are also charge traps, as it occurs for iodine defects,<sup>15</sup> the migrating defects can respond to the action of an electric field and to the presence of photo-generated carriers.<sup>16</sup> Further complicating the scenario, some of the defect traps may undergo photochemical reactions, whose most evident manifestation is the release of molecular iodine under light irradiation.<sup>17, 18</sup>

Ion migration in MHPs has been investigated in depth, both experimentally and theoretically, disclosing the nature of migrating ions and the associated time scales. Considerable knowledge on this phenomenon has built up in the literature, pointing at halides as the most mobile species.<sup>19-22</sup> A large variation in the measured activation energies for ion migration in MHPs has been reported, with experimental values spanning about one order of magnitude, ranging from  $\sim 0.1$  to  $\sim 1.0$  eV.<sup>14, 15, 19-24</sup> Calculated values also showed a significant variation, ranging from  $\sim 0.1$  to  $\sim 0.6$  eV, but they consistently showed the same order of activation energies, with halide defects faster (or at most equally fast) than A-cations, which are in turn faster than Pb defects.<sup>13, 14, 19, 20, 25-28</sup> While variations in calculated activation energies, albeit unexpected, can be traced back to the different simulation size, structural models (*e.g.* cubic *vs.* tetragonal) and details of the computations (level of theory, method to calculate the transition states, orientation of the A-cations etc.), the variation in measured activation energies for ion migration deserves further attention. This large spread in experimental and calculated values has basically made it impossible to unambiguously assess the nature of the migrating ions based on comparison of the two data sets. Adding to this puzzling picture, a significant light-induced enhancement of ion migration has been reported, whose origin is still debated.<sup>18, 29</sup> A possibly related phenomenon is the notorious phase de-mixing of mixed-halide perovskites under light,<sup>30</sup> which limits the photostability of technologically relevant intermediate compositions for tandem devices. Since ion migration must be

involved in halide de-mixing, a role of defects (and possibly charge traps) emerges also in such unusual behavior.<sup>31, 32</sup>

An important observation which may help in rationalizing the spread of experimental values is the variation of measured activation energies with the grain size of polycrystalline thin films samples and single crystals. Xing *et al.* reported temperature dependent conductivity measurements showing that the measured activation energies obtained by Arrhenius fitting of conductivity data in the dark (and under light exposure) significantly increased with grain size.<sup>29</sup> The activation energies measured in the dark increased from ~0.3 eV for ~300 nm to ~0.5 eV for ~1 $\mu$ m sized-grains, up to ~1.0 eV for mm-scale single crystals, indicative of an increasingly difficult ion migration in large grains or crystals. This activation energy variation with grain size is intriguing and may reveal important features about the nature of ion migration.

Starting from basic conductivity equations and combining experimental observations with high level *ab initio* calculations, we develop a new model of surface-assisted defect formation and apply it to ion migration in MAPbI<sub>3</sub>. Our model accounts for the variation of ion migration activation energy with grain size and light, revealing a fundamental role of surface defects in affecting ion migration.

To clarify the factors potentially affecting the measured activation energies it is useful to illustrate the basic equations ruling conductivity. The conductivity ( $\sigma$ ) is defined as:

$$\sigma = nZe\mu \tag{1}$$

where  $n$  is the volume density of charge carriers,  $Z$  is their charge,  $e$  is the electron charge and  $\mu$  is the carriers mobility, which is a measure of the drift velocity in a constant electric field. Using the Nernst-Einstein relation the ionic conductivity can be expressed in terms of the diffusion coefficient of the migrating ion,  $D$ :

$$\sigma = ne^2D/kT \tag{2}$$

where  $k$  is the Boltzmann constant and  $T$  the absolute temperature.

The diffusion coefficient has an exponential dependence on the temperature:

$$D = (\nu_0 d^2/6) \exp(\Delta S^\ddagger/k) \exp(-\Delta H^\ddagger/kT) \quad (3)$$

where  $\nu_0$  is the attempt frequency of an ionic jump,  $d$  is jump distance,  $\Delta S^\ddagger$  is the entropy variation related to the ionic jump and  $\Delta H^\ddagger$  is the microscopic energy barrier.  $\nu_0$ , typically the vibrational frequency of the bond being broken or loosened during the jump,  $\sim 10^{12}$  Hz, is weakly temperature dependent, with a form of the type  $1/T^m$ , with  $m=1, 0$  or  $1/2$ .

$\Delta H^\ddagger$  is the energy barrier to migration, *i.e.* the energy it takes for an ion to reach the transition state connecting the starting and final equilibrium structures, see examples in Figure 1, and it is the quantity calculated by *ab initio* calculations (typically not including thermal/vibrational corrections), see Table 1.

Equation (3) can be re-written as:

$$D = D_0/T^m \exp(-\Delta H^\ddagger/kT) \quad (4)$$

where  $D_0$  is a constant for a given defect/material combination and migration pathway.

We can notice that eq. (1) and (2) both contain  $n$ , which in absence of extrinsic doping corresponds to the density of mobile defects. As such  $n$  is related to the free energy of defect formation, *i.e.* the defect formation energy (DFE) by:

$$n = N \exp(-DFE/kT) \quad (5)$$

where  $N$  is the density of available defect sites (in  $\text{cm}^{-3}$ ). In some derivations<sup>33</sup> the DFE is divided by a factor 2 to account for the formation of defect pairs (*i.e.* Schottky or Frenkel defects).

Equation (2) can thus be re-written as:

$$\sigma = T^m e^2 D_0/kT \exp(-\Delta H^\ddagger/kT) \exp(-DFE/kT) \quad (6)$$

When  $m=0$ , plotting  $\ln(\sigma T)$  vs.  $1/T$  provides a straight line from which the activation energy ( $E_a$ ) can be extracted. The  $T^m$  temperature dependence is sufficiently weak compared to the exponential term that even if  $m=1$  or  $1/2$  a linear trend is still usually retrieved.<sup>33</sup>

We can now express eq. (6) as:

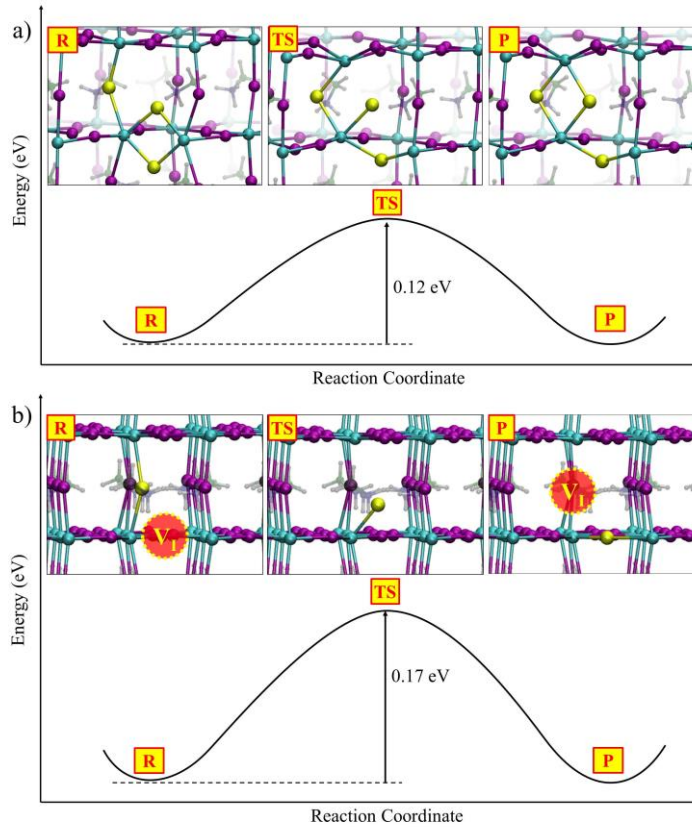
$$\sigma = \sigma_0/kT \exp(-E_a/kT) \quad (7)$$

with  $\sigma_0 = T^m e^2 D_0$  and

$$E_a = \Delta H^\ddagger + DFE \quad (8)$$

For a system in thermodynamic equilibrium and in the absence of extrinsic defects, *i.e.* for a system in which the defect density is solely determined by the *DFE* through eq. (5), the activation energy measured in conductivity experiments,  $E_a$  in eq. 7, contains two terms: *i*) the migration energy barrier,  $\Delta H^\ddagger$ ; and *ii*) the defect formation energy, *DFE*, as per eq. (8). Thus by plotting  $\ln(\sigma T)$  vs.  $1/T$  the slope of the linear data fit is  $E_a = \Delta H^\ddagger + DFE$ . *This means that one cannot disentangle, at least in principle, the energy barrier for an ionic jump ( $\Delta H^\ddagger$ ) from the energy required to form the defect undergoing the jump (*DFE*), as they both show an exponential dependence on temperature.*

The  $E_a$  variation with grain size<sup>29</sup> can now be interpreted as a variation in the individual  $\Delta H^\ddagger$  and *DFE* terms, or a combination of the two. Since  $\Delta H^\ddagger$  is a microscopic quantity related to the properties of the involved chemical bonds, this is potentially less affected by the grain size or by the different properties of surfaces *vs.* bulk. As an example, we calculate a comparable migration energy barrier ( $\sim 0.1$  eV at the PBE level, see Supporting Information for details) for negative interstitial iodine in bulk MAPbI<sub>3</sub> and at the (001) MAI-terminated and PbI<sub>2</sub>-terminated surface, see Figure 1 and Supporting Information. This is consistent with calculations by Oranskaia *et al.*<sup>28</sup> on MA- and FAPbBr<sub>3</sub> (FA=formamidinium) showing a variation of migration energy barrier for halide vacancies and interstitials within 0.1-0.2 eV in bulk and surfaces. While the results may differ for different facets, the similar migration energy barrier for different surface terminations suggest these results to be sufficiently general. We notice, however, that some uncertainty exists on the nature of surfaces in lead-halide perovskites, due to the surface restructuring and disordering experimentally observed which may induce additional variability.<sup>34, 35</sup>



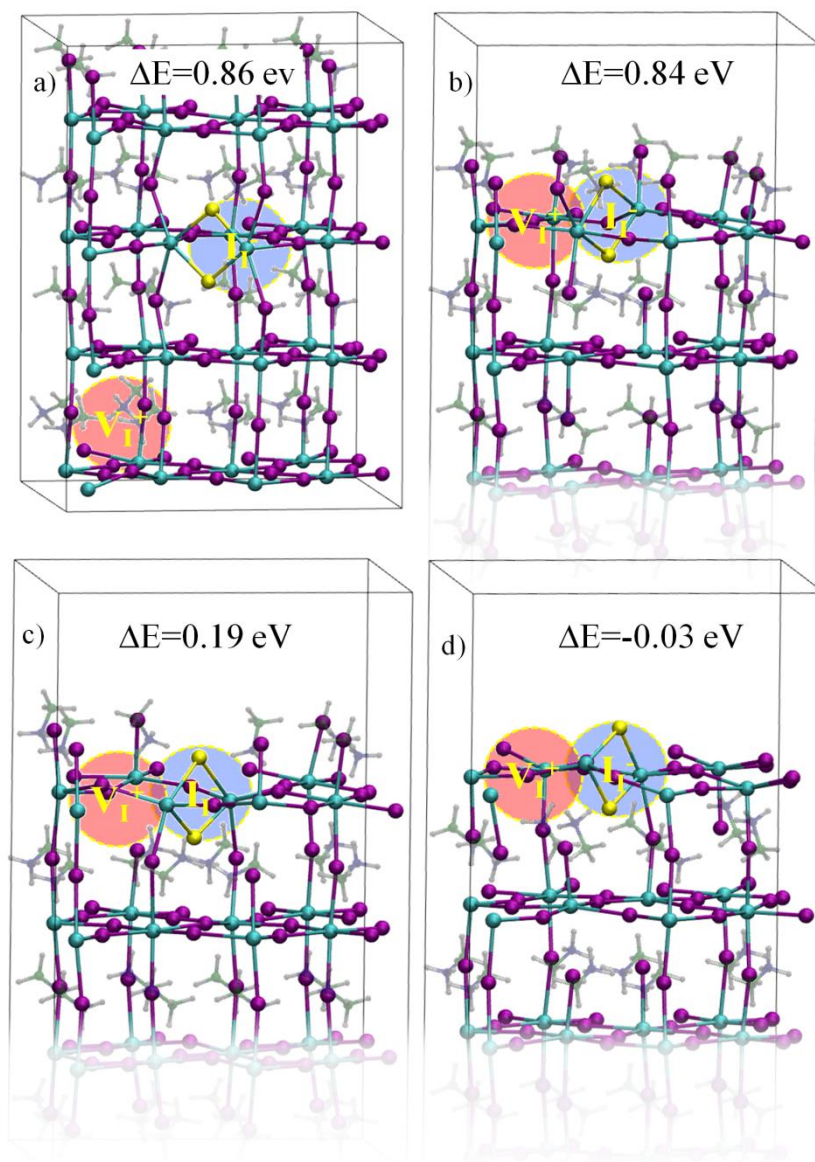
**Figure 1.** Reaction energy profile for the migration process of the interstitial iodine (a) and iodine vacancy (b) in bulk MAPbI<sub>3</sub>. The reagent (R), transition state (TS) and product (P) local structures extracted from 2x2x2 tetragonal supercell calculations (384 atoms) are also shown. R and P are shown at the same energy in both cases. The calculated migration energy barrier (eV) for the two processes is reported.

Since  $\Delta H^\ddagger$  shows minor variations between bulk and surfaces, the measured  $E_a$  change with grain size may be led by the varying DFE. We propose variation in this term to be associated to the availability of surface sites to host defects. We focus in particular on iodine Frenkel defects ( $I_i^- / V_I^+$  -  $I_i^-$ =negative interstitial iodine,  $V_I^+$ =positive iodine vacancy), which among stable defects are those with the lowest migration energy barrier,<sup>13, 14</sup> and have been recently proposed to be formed and to migrate under the influence of an electric field in MAPbI<sub>3</sub>.<sup>36, 37</sup> Analogous considerations may likely hold for Schottky defects (e.g.  $V_{MAI}$  or  $V_{PbI_2}$ ),<sup>31</sup> though a higher energy barrier is predicted for migration of  $V_{MA}^+$  and  $V_{Pb}^{2-}$ .<sup>13, 14</sup> Notice that the indicated defect charges refer to the actual charge



of the supercell containing the defect. Thus the charges for an iodine Frenkel pair are those expected for a negative iodine and the related vacancy but the actual charge bore by the defect may differ due to covalency and delocalization effects.<sup>37</sup>

Forming an interstitial iodine at the surface is likely favored compared to the bulk, since the steric hindrance required to accommodate the extra iodine in the lattice is relieved on the surface, and undercoordinated Pb atoms may favorably bind the interstitial atom. As a matter of fact, strong stabilization of interstitial iodine defects was found on MAPbI<sub>3</sub> surfaces exposing undercoordinated Pb atoms compared to the bulk.<sup>6, 38</sup> A similar surface stabilization is calculated here for a I<sub>i</sub><sup>-</sup>/V<sub>I</sub><sup>+</sup> Frenkel pair, whose formation becomes increasingly favored by considering surfaces with an increasing fraction of undercoordinated surface Pb atoms, up to the point of becoming spontaneous on PbI<sub>2</sub>-terminated surfaces, see Figure 2.



**Figure 2.** Optimized structures and formation energies (eV) for  $I_i^- / V_I^+$  Frenkel pair in  $\text{MAPbI}_3$  bulk (a); and at MAI-terminated (b), MAI-vacant (c) and  $\text{PbI}_2$ -terminated surfaces (d), corresponding to an increasing fraction of undercoordinated surface Pb atoms. Defect formation energies calculated at the PBE level are also reported (eV). Notice that these values differ from those of Table 1 which are calculated by HSE-SOC. Bulk  $\text{MAPbI}_3$  is simulated by a tetragonal  $2 \times 2 \times 2$  supercell (384 atoms) while the slabs are obtained by replicating and cutting the same bulk supercell.

**Table 1.** DFE (eV) of  $I_i^-$ ,  $I_i^0$ ,  $V_I^+$ ,  $V_I^0$  and non interacting  $I_i^- / V_I^+$  Frenkel pair (sum of the individual defects) under iodine medium conditions in bulk  $\text{MAPbI}_3$  calculated by HSE-SOC including

dispersion corrections through Grimme's D3 approach<sup>39</sup> on a 2x2x2 supercell with structures optimized by PBE. Migration energy barriers ( $\Delta H^\ddagger$ , eV) for  $I_i^-$ ,  $I_i^0$ ,  $V_I^+$ ,  $V_I^0$  are also reported, as calculated by HSE-SOC structural relaxation in a bulk 2x2x1 supercell. Values in parenthesis are calculated by PBE on the same bulk 2x2x1 supercell.

Defect	DFE	$\Delta H^\ddagger$
$I_i^-$	0.55	0.12 (0.10)
$I_i^0$	1.03	0.18
$V_I^+$	0.81	0.17 (0.12)
$V_I^0$	1.70	0.17
$I_i^- / V_I^+$	1.36	-

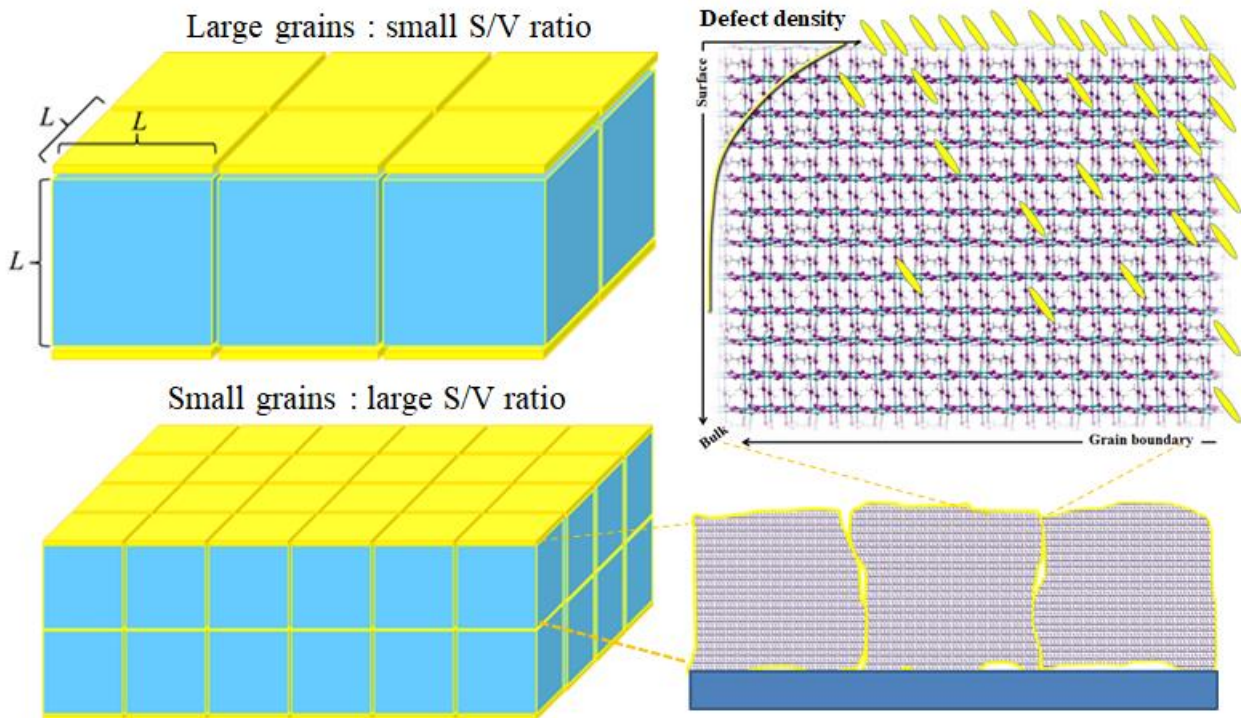
The proposed surface-stabilized defect formation is consistent with the effect of surface passivating species in stabilizing solar cell devices<sup>40</sup> and in dimming mixed halide perovskite de-mixing<sup>41</sup> and it can be interpreted as a reduction of surface sites available for defect formation. It also provides an explanation for the effect of surface chlorine and Lewis bases leading to grains with higher photoluminescence quantum yield and to improved photovoltaic performance in polycrystalline MAPbI<sub>3</sub> films.<sup>42-44</sup>

Notably, a similar migration energy barrier is calculated for  $I_i^-$  and  $V_I^+$  indicative of balanced migration energy barriers for iodine Frenkel defects.<sup>36, 37</sup> Also technically notable, the computationally expensive and in principle more accurate HSE-SOC structural relaxations delivering the  $\Delta H^\ddagger$  values of Figure 1 and Table , provide comparable energy barriers for charged iodine defects to those previously obtained by the less computationally demanding PBE calculations (~0.1 eV).<sup>13</sup>

Based on these combined results, *we propose that the varying  $E_a$  measured for different crystal/grain size is related to the accessibility of surface sites which stabilize defect formation, leading to a DFE reduction.* We thus rewrite the average DFE affecting the defect density through eq. (5) as the sum of surface and bulk contributions, weighed by their respective density:

$$DFE_{av} = (f_{surf} DFE_{surf} + f_{bulk} DFE_{bulk}) / (f_{surf} + f_{bulk}) \quad (9)$$

where  $f_{surf}$  ( $f_{bulk}$ ) and  $DFE_{surf}$  ( $DFE_{bulk}$ ) are the number density and formation energies of defects at the surface (bulk). Eq. (9) describes an average  $DFE$  that is weighed upon the occupation of surface and bulk defect sites. We can elaborate further on this model considering the variation in surface/volume ratio of crystalline grains. If we take for simplicity cubic grains, the total available surface (including grain boundaries) scales as  $\sim 6L^2$ , while the volume scales as  $\sim L^3$ , where  $L$  is the grain dimension, see Scheme 1. Notice that at our level of description we cannot distinguish between surface and grain boundaries, so the two terms are used interchangeably.



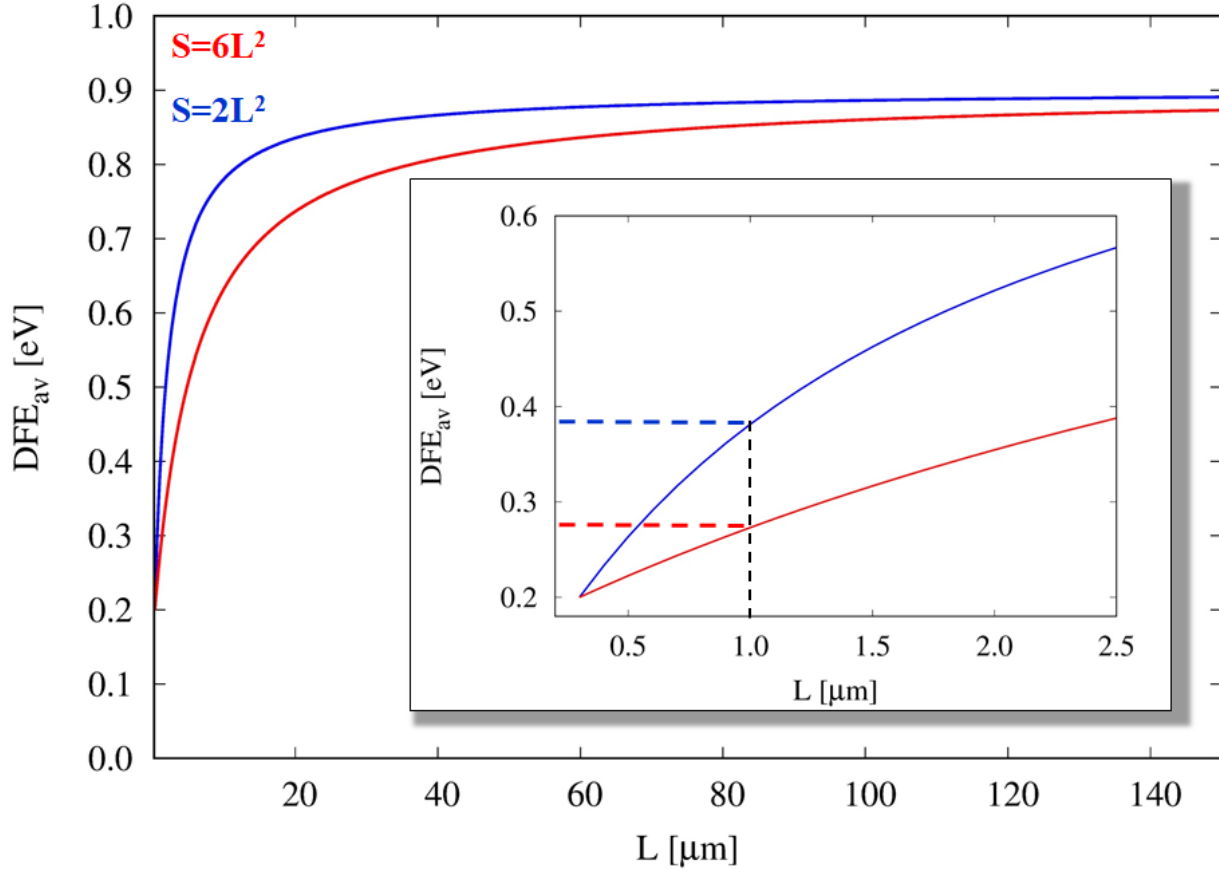
**Scheme 1.** Schematic illustration of surface/volume ratio in polycrystalline thin films. Large grains ( $L$ =cubic grain size) and small grains differ in their surface/volume (S/V) ratio. Also shown is a schematic representation of a thin film with zoom on the grain boundary and surface showing the correspondingly different defect distributions (yellow ellipses). Notice the drastic reduction of defects going from the surface/grain boundaries to the bulk which pictorially illustrate the different defect formation energies of Figure 2.

The  $DFE$  of eq. (9) averaged over surface and bulk defects can thus be approximately expressed as:

$$DFE_{av} = (d_{surf} 6L^2 DFE_{surf} + d_{bulk} L^3 DFE_{bulk}) / (d_{surf} 6L^2 + d_{bulk} L^3) \quad (10)$$

where we have taken  $f_{surf}=d_{surf}6L^2$  and  $f_{bulk}=d_{bulk}L^3$ , with  $d_{surf}$  and  $d_{bulk}$  the density of sites on which a defect can be formed on the surface and bulk, respectively.

To estimate the  $DFE_{surf}$  and  $DFE_{bulk}$  terms we refer to experimental values by Xing *et al.*<sup>29</sup> We know that for ~300 nm grain size the measured activation energy in the dark is ~0.3 eV. We know that this is the sum of  $\Delta H^\ddagger$  (calculated value ~0.1 eV) and the site-averaged  $DFE_{av}$ , of eq. (9) and (10). By difference we thus calculate  $DFE_{av} \sim 0.2$  eV for  $L=300$  nm, which allows us to fix the DFE at low  $L$  values. Similarly, knowing that  $E_a$  is ~1 eV for single crystals we take  $DFE_{av} \sim 0.9$  eV for large  $L$ , so we can define the function  $DFE_{av}(L)$  shown in Figure 3. We may further elaborate on whether the accessible surface is  $6L^2$  or a lower fraction (*e.g.*  $2L^2$ ), accounting for the partial passivation of surface sites at grain boundaries or at the substrate interface, but the results are only moderately affected by this choice, as illustrated below. We can now test our model and check whether it reproduces the experimental trend of  $E_a$  vs.  $L$  at intermediate  $L$  values. For  $L=1\mu\text{m}$  we predict  $DFE_{av}\sim 0.3-0.4$  eV (using  $6L^2$  or  $2L^2$  for the available surface, respectively), which summed to the calculated  $\Delta H^\ddagger$  gives  $E_a$  values in the 0.4-0.5 eV range, nicely matching the experimental value of ~0.5 eV.<sup>29</sup> In addition, our model predicts the  $E_a$  value to saturate to its limit value for grains size larger than ~50  $\mu\text{m}$ . Despite the limits and assumptions, our model works surprisingly well in matching the experimental observables for varying grain sizes and  $E_a$  values. Also interesting, the calculated  $DFE$  for an isolated Frenkel pair in bulk MAPbI<sub>3</sub> (1.36 eV, neglecting thermal corrections and entropic contributions) is consistent with the asymptotic value of ~0.9 eV retrieved from analysis of experimental data on single crystals.



**Figure 3.** Variation of the defect formation energy (DFE, eV) as a function of crystal grain size ( $\mu\text{m}$ ) between limiting values of small grains ( $0.3 \mu\text{m}$ , bottom left side) and large grains or single crystals (top right side) for two different surface estimates as per Scheme 1 ( $6L^2$  and  $2L^2$ , in red and blue, respectively). The inset shows a zoom in the low  $L$  value region, highlighting the results of the model for a grain size of  $1 \mu\text{m}$ , using the two surface estimates of the main Figure.

This analysis accounts for the vastly varying  $E_a$  values experimentally reported, whereby *different sample preparation methods would yield films of different grain size with different available surface and grain boundaries and associated different DFE*. This calls for ion migration being dominated by surfaces and grain boundaries, as proposed earlier by Huang and coworkers.<sup>45</sup> Our model also reveals that there exists a lower limit to the  $E_a$  value measured in conductivity experiments, which is set by the  $\Delta H^\ddagger$  value when the *DFE* term almost vanishes. In this framework, higher  $E_a$  values would simply reflect the different surface-available defect densities characteristic of the system

under investigation. We stress that our model is based on the assumption of thermodynamic equilibrium ruling the defect density, so formation of defects due to kinetic trapping or extrinsic defects are not included.

These observations further open up the possibility of speculating on the nature of the light induced increase of ionic migration observed in MAPbI<sub>3</sub>.<sup>18,29</sup> Since light absorption mainly generates free charges in MAPbI<sub>3</sub> at room temperature due to the small exciton binding energy,<sup>46,47</sup> we first computationally assess whether charge trapping at iodine defects may alter their migration energy barriers. In doing so we necessarily need to resort to high level (and computationally demanding) HSE-SOC structural relaxations, see Supporting Information, since at the PBE (or PBE-SOC) level no trapping occurs at such defects due to misplaced band edges.<sup>11</sup> As reported in Table 1, migration of neutral interstitial iodine (I<sub>i</sub><sup>0</sup>) - the species formed upon charge trapping at charged interstitial iodine - is found to be slightly more energetically demanding than migration of I<sub>i</sub><sup>-</sup>, 0.18 vs. 0.12 eV, respectively. Our calculations also predict V<sub>I</sub><sup>0</sup> migration to have the same barrier than V<sub>I</sub><sup>+</sup> (0.17 eV), in line with the shallow character of V<sub>I</sub><sup>+</sup> not giving rise to charge localization and trapping at such defect. Thus upon carrier trapping at the mobile iodine defects, *ab initio* calculations predict the migration barriers to either increase or to remain constant, inconsistent with the enhanced ion migration experimentally observed. The overall picture is rather consistent with the formation of defects under light being energetically favored compared to defect formation in the dark, as proposed earlier by Motti *et al.*<sup>48</sup> In addition, our analysis indicates that (light-induced) defect formation prevalently takes place at the surfaces or grain boundaries, calling for proper passivation strategies as a mean to control ion migration and light-induced defect formation in MHPs. Formation of interstitial iodine defects, precursors to I<sub>2</sub> formation and its subsequent loss, was indeed found to be significantly favored at the surface of MAPbI<sub>3</sub> compared to the bulk.<sup>17</sup>

In summary, we have provided a model of surface-assisted defect formation which consistently accounts for the spread in experimentally measured activation energies for ion migration in lead-halide perovskites. Key to our model is the introduction of a phenomenological

defect formation energy which varies between limiting surface and bulk values as a function of the surface to volume ratio of crystal grains; and accurate *ab initio* calculations of defect formation energies and migration barriers.

Our findings indicate that ion migration in lead-iodine perovskites is dominated by surfaces and grain boundaries, due to the surface-assisted formation of migrating defects; and that surface passivation has a leading role in stabilizing lead-halide perovskites against formation of defects. This may in turn prevent the associated photochemical decomposition reactions, providing the framework for interpreting the bizarre ion conduction properties and light-induced instability of this class of materials.

**Supporting Information Available:** Computational details. Migration energy barriers on MAI- and  $\text{PbI}_2$ -terminated surfaces.

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